# Pre-exhaustification Creates Multifunctionality: Evidence from Tuvan -daa* 

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## 1 Introduction

- Tuvan (ISO tyv) is an understudied Turkic language (South Siberian) spoken by $\approx 300 \mathrm{~K}$ speakers primarily in Russia (Tyva Republic), western China, and western Mongolia. This talk investigates the semantics of the multifunctional particle -daa [da:].
- Depending on the host, -daa (a-b) forms polarity-sensitive indefinites, (c) marks additively or miratively focused nominals, (d) the predicate of a concessive structure, or (e) each head in a coordination. ${ }^{1}$

| Category | Host | Function |  |
| :---: | :---: | :---: | :---: |
| Quantifiers | a. čaŋgïs 'one; a single' <br> b. wh-interrogative | i. <br> ii. iii. | Minimizer NPI determiner (čaŋgïs-daa N ) 'even $\mathrm{NPI}_{\mathrm{NI}}$ one N ' NPI (kïm-daa 'anyone ${ }_{\mathrm{NPI}}$ ') <br> $\forall \mathrm{GQ}$, upward entailing environs. (kïm-daa 'everyone’) <br> $\forall$ FCI 'any,' modal environs. (kïm-daa (bolza), 'anyone ${ }_{\mathrm{FCI}}$ ') |
| Focus | c. focused nominal |  | mirative 'even' (N-daa 'even N') |
|  |  | ii. | additive 'also; either' ( $\mathrm{N}-$ daa 'also N') |
|  | d. verb |  | concessive 'even though' (p-daa q, 'even though p, q') |
| Coordination | e. $2+$ coordinated XPs |  | 'both....and,' affirmative environs. (nom-daa čaraa-daa nomčudum , 'I read both a book and a letter') 'neither...nor,' negated predicate (nom-daa čaraa-daa nomčuvadïm, 'I didn't read a book or a letter') |

Table 1: Distribution of Tuvan -daa. Focus of this talk highlighted in cyan.

- Basic descriptions of -daa's distribution can be found in Iskhakov \& Pal'mbakh (1961: 224, 249ff), Krueger (1977: 126-7), Anderson \& Harrison (1999), Harrison (2000), Landmann (2017: 34-5), Băyr-ool (2012). The semantic properties of -daa have not been investigated in the literature. ${ }^{2}$ The current study draws from elicitations with a native speaker of the Western dialect of Tuvan (Russia).
- -Daa's functions significantly overlap with the well-studied Japanese particle -mo. -Mo's exceptionally wide distribution has been investigated extensively (Kuroda 1965, Kratzer \& Shimoyama 2002, Shimoyama 2006, 2011, Kobuchi-Philip 2009, Yatsushiro 2009, Szabolcsi 2015, Mitrović \& Sauerland 2014, 2016, Mitrović 2021). Important, challenging, and exciting questions of morphosemantic typology are raised by the constellation of functions served by multifunctional particles crosslinguistically:

[^0](1) Do the roles of a multifunctional particle form a natural class with a stable semantics? Do additional elements (overt or covert) aid particles in fulfilling their various functions? (following Szabolcsi 2015: 161)

- Main focus of the current talk is -daa's contribution in quantificational noun-phrases ((a,b) in Table 1), and its connection to the mirative focus reading ( $\mathrm{c}-\mathrm{i}$ ).
- It is argued that -daa is an morphological realization of recursive exhaustification, more specifically, a 'pre-exhaustifier' (adopting the theory of Chierchia 2013).
- $\quad \S 2$ considers -daa's role in forming universal quantifiers and NPIs. Like Japanese wh-mo, Tuvan wh-daa with clause-mate negation is invariantly interpreted as an NPI, with no available narrow-scope universal [ $\neg>\forall$ ] reading. On the basis of this, it is possible that so-called NPIs are not narrow-scope existential [ $\neg>\exists$ ], but in fact wide-scope universals $[\forall>\neg]$ (owing to the DeMorgan's equivalence $\neg \exists[\mathrm{p}(\mathrm{x})] \leftrightarrow \forall \mathrm{x}[\neg \mathrm{p}(\mathrm{x})]$ ).
However, unlike Japanese wh-mo, Tuvan wh-daa is grammatical in embedded clauses with negation on a matrix verb. Significantly, wh-daa is ambiguous here, between an NPI reading and a narrow-scope universal reading.
An exhaustification-based approach to -daa is proposed.
- $\quad 3$ examines why čaggïs-daa is a pure NPI, and examines a connection to pre-exhaustification.
- $\S 4$ explores the free-choice readings of -daa. It is argued that the difference between the $\forall$ GQ function and the FCI function is that the former does not involve exhaustification of the scalar alternative, while the latter does.
- $\S 5$ Concludes


## 2 Forming quantifiers with -daa

### 2.1 The basic pattern

- There are two main types of -daa-based quantifiers:
(I) čaŋgïs-daa, a pure-NPI determiner (čaŋgïs 'one; a single; only (adjective)'
(II) WH-daa, interpreted as NPIs, $\forall \mathrm{GQs}$ in affirmative environments, and any-like free-choice items (FCIs) in the scope of a modal.
- The free-choice reading can be optionally reinforced with the element bolza 'it be' (bol- 'there exists' -ZA conditional mood).
- -daa is crucial to these readings. Without -daa, čaygïs functions as a 'one'-like numeral and is in fact a positive polarity item (PPI) (2a). ${ }^{3}$
(2) a. Men čaygïs nom nomču-va-dï-m

I one book read-NEG-PST-1SG
(i) *'I didn't read any books’ *[NEG > one]
(ii) 'There is one book that I didn't read' [one > NEG]
b. Men čaygïs-daa nom nomču-*(va)-dï-m

I one-daa book read-(NEG)-PST-1SG
(i) 'I didn't read any books' / 'I didn't read even one book' [NEG > one]
(ii) *‘There is one book that I didn't read'
*[one > NEG]
*'Of all the books I read, there is even one that I didn't read'
*[even one > NEG]

- Similarly, bare WH-words in Tuvan do not form quantificational NPs outside of direct and indirect-WH questions. It is only when they are combined with a particle that they can used outside of questions.

[^1]- In plain, episodic affirmatives WH-daa is interpreted as a universal generalized quantifier ( $\forall \mathrm{GQ}$ ), while čaŋgüs-daa is flatly ungrammatical (4).
(3) WH-daa universals
a. Men düün čünü-daa nomču-dum

I yesterday what.ACC read-PST.1SG
'I read everything yesterday' (of a,b,c, yesterday I read $a, b$, and $c$ )
b. Kïm-daa meni kör-dü
who-daa me.ACC see-PST
'Everybody saw me'
c. Men kandïg-daa nom nomču-dum

I what.kind-daa book read-PST.1SG
'I read ${ }_{\text {pst }}$ all kinds of books' ('I read ${ }_{\text {pst }}$ many different kinds of books')
(4) čangïs-daa ungrammatical in positive episodics
a. *Men düün čaygïs-daa nom nomču-dum

I yesterday what-daa book read-PST.1SG
'*I read even one book yesterday'
b. *čaygïs-daa kiži meni kör-dü
one-daa person me.ACC see-PST
'*Even one person saw me'

- With clause-mate negation, WH-daa is exclusively interpreted as an NPI. No narrow-scope universal reading (the (ii) translations), nor a wide-scope existential reading (the (iii) translations).
(5) WH-daa unambiguously an NPI with clausemate negation
a. Men düün čünü-daa nomču-va-dïm

I yesterday what.ACC-daa read-NEG-PST.1SG
(i) 'I didn't read anything yesterday'
[NEG $>$ anything]
(ii) *'I didn't read everything yesterday'
*[NEG > everything]
(iii) *‘There is something I didn't read yesterday’
*[something > NEG]
b. Kïm-daa meni kör-be-di
who-daa me.ACC see-NEG-PST
(i) 'Nobody saw me' (lit: 'anybody didn't see me' [NEG > anybody]
(ii) *'Everybody didn't see me' *[NEG > everybody]
(iii) *‘There is somebody who didn't see me’ $\quad$ [NEG $>$ somebody $]$
c. Men kandïg-daa nom nomču-va-dïm

I what.kind-daa book read-NEG-PST.1SG
$\begin{array}{ll}\text { (i) 'I didn't read any book' } & \text { [NEG }>\text { any }] \\ \text { (ii) } * \text { 'I didn't read all kinds of books' } & *[\text { NEG }>\text { all }]\end{array}$
(iii) *'There are some kinds of books of books I didn't read'
*[some > NEG]

- čangïs-daa NPIs are licensed by clausemate negation (6), where they function as an even-like NPI.
(6) čaŋgïs-daa licensed by clausemate negation
a. Men düün čaygïs-daa nom nomču-va-dïm

I yesterday one-daa book read-NEG-PST.1SG
'I didn't read even one book yesterday'
b. čaŋgïs-daa kiži meni kör-be-di
one-daa person me.ACC see-NEG-PST
'Not even one person saw me'

- WH-daa in a modal environment admits 'any'-like universal free choice ( $\forall \mathrm{FCI}$ ) readings (7), while čaŋgïs-daa is ungrammatical (8). Further properties of free-choice WH-daa will be discussed in §4.
(7) Men daarta čünü-daa (bolza) nomču-p šǐda-ar=men

I tomorrow what.ACC-daa (IT.BE) read-CVB can-NPST=1SG 'I can read anything tomorrow'
(8) *Men čaygïs-daa nom (bolza) nomču-p šïda-ar=men

I one-daa book (IT.BE) read-CVB can-NPST=1SG
*'I can read even one book’

### 2.2 Are -daa NPIs wide-scope universals?

- As was mentioned in $\S 1$, Tuvan -daa displays non-trivial overlap with Japanese -mo.

|  | Role | Tyv. -daa | Jpn. -mo |  |  |
| :--- | :--- | :--- | :--- | :---: | :---: |
| a. | i. | Mimimizer NPI | 'even one N' | čangïs-daa N | hito-ni-mo |
|  | ii. | NPI pronoun | 'anybody' | kïm-daa | dare-mo |
|  | iii. | $\forall$ GQ pronoun | 'everybody' | kïm-daa | da're-mo |
|  | iv. | $\forall$ FC pronoun | 'anybody; whoever' | kïm-daa (bolza) | dare-demo |
| b. | i. | Additive | 'X, too'; 'not X, either' | X-daa | X-mo |
|  | ii. | Mirative | '(not) even X' | X-daa | X-mo; X-demo |
| c. | i. | affirmative | 'both X and Y' | X-daa Y-daa | X-mo Y-mo |
|  | ii. | negative | 'neither X nor Y' (w/ NEG vb. $)$ | X-daa Y-daa | X-mo Y-mo |

Table 2: Distribution of Tuvan -daa compared to Japanese -mo, -demo (Kuroda 1965, Kratzer \& Shimoyama 2002, Shimoyama 2006, Szabolcsi 2015)

- NPIs like English ever, any are standardly analyzed as existentials which obligatorily take scope below their licenser (Linebarger 1987, Kadmon \& Landman 1993, Chierchia 2013). There is, however, another family of approaches which holds that some NPIs which are universal quantifiers scoping above their licenser. ${ }^{4}$
- Japanese WH-mo are one such example of NPIs argued to be WS $\forall$-NPIs (Kratzer \& Shimoyama 2002, Shimoyama 2011). ${ }^{5}$ Given that (I) Japanese WH-mo and Tuvan WH-daa are both interpreted as universals in positive episodic environments (9a), (10a), and (II) unambiguously as NPIs with clausemate negation (9b), (10b), it is possible that Tuvan WH-daa NPIs are actually WS $\forall \mathrm{s}$.


## Japanese

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        a. Da're-mo hanashi-ta
    who-mo talk-PST
    `Everyone talked`(Mitrović 2021: 7)
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(10) Tuvan
a. Kïm-daa meni kör-dü
who-daa me.ACC see-PST
'Everyone saw me'
b. Dare-mo wakarimas-en who-mo understand-NEG
(i) 'Nobody understands' (Mitrović \& Sauerland 2016: 472)
(ii) $* \neg \forall \mathrm{x}[\mathrm{UNDERSTAND}(\mathrm{x})]$
b. Kïm-daa meni kör-be-di who-daa me.ACC see-NEG-PST
(i) 'Nobody saw me'
(ii) *'Not everyone saw me'

- However, the similarity between Tuvan WH-daa and Japanese WH-mo breaks down in embedded clauses, namely when the WH+PTCL phrase is in an embedded clause with negation on the matrix verb. In Japanese (11), the NPI reading of WH-mo NPIs is entirely unavailable (11a), and the universal reading is extremely marginal (11b).
(11) */??Taro-wa [Yoko-ga dare-(o)-mo syootaisi-ta to] iwa-nakat-ta Taro-TOP [YokoNOM who-(ACC)-mo invite-PST COMP] say-NEG-PST
a. *‘Taro didn’t say that Yoko invited anyone’ (Shimoyama 2011: 418)
b. ??'Taro didn't say that Yoko invited everyone'

[^2]- Interestingly, as we see in (12) not only can WH-daa NPIs be licensed by negation across a clause-boundary (the (i) readings), but surprisingly the $\mathrm{WH}-d a a$ phrases is ambiguous, admitting a narrow-scope universal reading (the (ii) readings).
(12) a. Men [seni čünü-daa nomča-an dep] dinna-va-dïm

I [you.ACC what.ACC-daa read-PTC COMP] hear-NEG-PST.1SG
(i) 'I didn't hear that you read anything'

$$
\begin{aligned}
{[\neg>\exists] \equiv } & {[\forall>\neg] } \\
& {[\neg>\forall] }
\end{aligned}
$$

(ii) 'I didn't hear that you read everything'
b. Men [kïmnï̈-daa ol nomn-u nomča-an] di-ve-dim

I [who.ACC-daa that book-ACC read-PST] say-NEG-PST.1SG
(i) 'I didn't say that anyone read that book' $\quad[\neg>\exists] \equiv[\forall>\neg]$
(ii) 'I didn't say that everyone read that book'
$[\neg>\forall]$
c. Men [kïmnï-daa čaraš dep] sana-va-in tur=men

I [who.ACC-daa beautiful COMP] consider-NEG-ASP stand.LT.VB=1SG
(i) 'I don't think any of them are beautiful'
$[\neg>\exists] \equiv[\forall>\neg]$
(ii) 'I don't think they're all beautiful' $[\neg>\forall]$

- In order to maintain a WS $\forall$-NPI account of the NPI readings in (12), the difference between the two readings would have to be captured by long-distance LF movement across the embedded clause boundary for the NPIs (13a), and movement to the edge of the embedded clause for the $[\neg>\forall]$ reading (13b).
a. NPI

b. $\frac{\forall \mathrm{GQ}}{\mathrm{CP} 1}$

- On this approach, the evidence for QR in the embedded clause for the $[\neg>\forall$ ] readings ( 13 b ) is that when negation is in fact hosted on the embedded verb (14), WH-daa is read exclusively as an NPI (14a) (patterning with the pattern in embedded clauses).
(14) Men [seni čünü-daa nomču-va-an dep] diŋnna-dïm

I [you.ACC what.ACC-daa read-NEG-PST COMP] hear-PST.1SG
a. 'I heard that you didn't read anything'
$[\forall>\neg] \equiv[\neg>\exists]$
b. *'I heard that you didn't read everything'
$*[\neg>\forall]$

- While a syntactic approach as in (13) would capture the right readings, there are good reasons to reject it for -daa.
- The first piece of evidence against a the WS $\forall$ approach comes from symmetry with čangïs-daa NPIs. As stated above, čaŋgïs-daa functions purely as an NPI, admitting no universal readings. Thus, there is no clear evidence that čaŋgïs-daa is a universal of any kind. ${ }^{6}$ Indeed čaŋgïs-daa is licensed across clause boundaries as well (15):

[^3]a. Men [seni čaygïs-daa nom nomča-an dep] digna-va-dïm

I [you.ACC one-daa book read-PST COMP] hear-NEG-PST.1SG 'I didn't hear that you read even one book' / 'I didn't hear that you read any book'
b. Men [seni čaygïs-daa katap nom nomča-an] di-ve-dim

I [you.ACC one-daa again/once/yet book read-PST] say-NEG-PST
'I didn't even once mention that you read books'

- Japanese has a minimizer NPI čaggïs-daa which is built of a 'one' numeral like hito or it, a nominal classifier, and $-m o$. As we see in (16), it is ungrammatical in affirmative sentences.
(16) Hito-ri-mo $\{$ ko-na-katta $/$ *ki-ta $\}$
one-CL ${ }_{\text {person-mo }}$ \{come-NEG-PST / come-PST\}
'Not even one person came' (Nakanishi 2006: 150)
- Because hito-CL-mo is ungrammatical in positive sentences and moreover contains the numeral 'one', Nakanishi (2006), Shimoyama (2011) argue that it is indeed interpreted as a narrow-scoping existential NPI. Thus, on a WS $\forall$ account of WH-mo, a salient piece of evidence comes from clauses containing both it/hito-cL-mo and a WH-mo NPI, where there is an asymmetry: if WS $\forall$-NPI WH-mo c-commands the minimizer (17a), the sentence is fine. However, if the minimizer c-commands the WH-mo NPI, the judgment degrades (17b):
a. Dare-mo it-teku-mo kobos-anakat-ta
who-mo one-CL ${ }_{\text {drop }}-m o$ spill-NEG-PST
'Noone spilled even a single drop'
b. ??Hito-ri-mo dore-mo taba-nakat-ta
one-CL ${ }_{\text {person- }}$ mo which-mo eat-NEG-PST
'Not a single person ate anything' (Shimoyama 2011: 435)
- Shimoyama (2011: 434-8) attributes the degraded status of (17b) to conflicting scope requirements: hito-ri-mo wants to scope below negation, while dore-mo wants to scope above it. Interestingly, no such conflict appears in Tuvan, where čaŋgïs-daa subjects happily occur alongside WH-daa objects (18b).
a. [Čaygïs-daa student] čünü-daa
[one-daa student] what.ACC-daa
nomčuvadï
read.NEG.PST
'Not even one student read anything'
b. Kïm-daa [čaygïs-daa nom] nomču-va-dï who-daa [one-daa book] read-NEG-PST 'Nobody read even one book'
- The final, and most significant, piece of evidence against a WS $\forall$ analysis of Tuvan WH-daa comes from the embedding of clauses like (18b). Notably, with a čaygïs-daa subject, the reading of a WH-daa object is no longer ambiguous.

Men [[čaygïs-daa kiži-ni] čünü-daa ašta-an dep] digna-va-dïm
I [[one-daa person-ACC] what.ACC-daa clean-PST COMP] hear-NEG-PST.1SG
a. 'I didn't hear that even one person cleaned anything' $\quad[\neg>$ even one $>$ anything $]$
(Context: Belek works for a cleaning company. Whenever an employee cleans something they are assigned to, that employee is required to call Belek to report what they just cleaned. After not receiving any calls all day, Belek says (19).)
b. *'I didn't hear that even one person cleaned everything’ $\quad *[\neg>$ even one $>$ everything $]$
(Context: Belek works for a cleaning company. His employees are assigned to one area of a house, where they are required to clean everything in that area. At the end of the shift, employees are required to call Belek and say what they were assigned to clean and report whether they finished cleaning the area. After all of the employees said their area was not finished being cleaned, Belek says (19).)
therein). Considering the special case of NPI even readings cross-linguistically, while there are indeed arguments that NPI even obligatorily takes wide scope (Karttunen \& Peters 1979) and is simply homophonous with non-NPI even, this relies on two stipulations: first that NPI even and non-NPI even are two distinct lexical items even in languages like English where they are phonetically identical, and that even obligatorily moves above negation (see Nakanishi 2006, Lahiri 1998 for additional arguments).

- In effect, what we see with (19) is that NPI čaŋgg̈s-daa fixes the reading of a potentially ambiguous WH-daa. If indeed embedded WH-daa were underlyingly a universal and čaygïs-daa an existential, we would expect that if any barrier to movement would be created in an example like (19), (19) should have only the narrow scope $\forall$ reading (19b), not the NPI reading (19a).


### 2.3 An alternative-based account of -daa universals and NPIs

- I propose an alternatives-and-exhaustification approach to the semantics of -daa, following Krifka (1995), Fox (2007), Chierchia et al. (2012), Chierchia (2006, 2013), Xiang (2020), Mitrović (2021).
- The particular implementation/notation I adopt is broadly similar to Chierchia (2013), and is driven by the following assumptions:
(20) a. Ordinary (pragmatic) scalar implicatures are the result of active alternatives and are subject to Gricean relevance (hence any contradictions produced are not relevant, and can be pruned).
b. Polarity-sensitive items (e.g. Tuvan WH-daa, English any, ever) have active alternatives, but these alternatives are not subject to relevance and hence cannot be pruned. That is, these alternatives are obligatory.
c. If alternatives are active, they must be reckoned with. Non-entailed alternatives must be eliminated.
(Chierchia 2013: 186)
- Proposal: Rather than WH-daa begin an underlying universal quantifier, it is an existential. -Daa's main semantic contribution is impose a requirement that the alternatives of its host are active, and further, to require that the alternatives of these alternatives are active. That is to say, it is a morphological manifestation of a 'pre-exhaustification' operator.
- WH-words can reasonably be analyzed as existentials (Karttunen 1977, Chierchia 2013, Dayal 2016, Mitrović 2021). Similarly, numerals like Tuvan čaygïs 'one' are existentials.
- Moreover, assuming that -daa activates the alternatives of an existential has the potential to unify its quantifierforming function with its focus particle usage, given that focus is an trigger of existential presuppositions (Abusch 2010, Szabolcsi 2017). The extension to mirative even focus is examined in §3.
- Much of the work in this theory is performed by covert exhaustifiers like O (21), a covert version of only ((21a) from Chierchia 2013: 31, (21b-ii) from Xiang 2020: 181-3).
(21) Non-recursive O (nly) exhaustifier
a. $\quad \llbracket \mathrm{O}_{\mathrm{C}}(\mathrm{p}) \rrbracket=\mathrm{p} \wedge \forall \mathrm{q} \in \mathrm{C}[\mathrm{q} \rightarrow \mathrm{p} \subseteq \mathrm{q}]$
(' $\subseteq$ '=entails; $\mathrm{O}_{\mathrm{C}}(\mathrm{p})$ asserts p is true and, for all alternatives q in p 's alternatives $\operatorname{ALT}(\mathrm{p})$, if $q$ is true if $p$ entails $q$. If $q$ does not entail $p, q$ is false.)
b. (i) $\operatorname{EXCL}(\mathrm{p}, \mathrm{C})=\{\mathrm{q} \mid(\mathrm{p} \nsubseteq \mathrm{q}) \wedge(\mathrm{q} \in \mathrm{C})\}$
(The excludable alternatives of p are all q such that q does not entail p (' $\mathrm{p} \nsubseteq \mathrm{q}$ ') and q is in the alternative set of $p$ (' $q \in C^{\prime}$ ).)
(ii)

$$
\llbracket \mathrm{O}_{\mathrm{C}} \rrbracket=\lambda \mathrm{p} \lambda \mathrm{w}: \underbrace{\exists \mathrm{q} \in \operatorname{ExCL}(\mathrm{p}, \mathrm{c})}_{\text {non-vacuity }} \wedge \underbrace{\mathrm{p}(\mathrm{w})=1}_{\text {prejacent }} \cdot \underbrace{\forall \mathrm{q} \in \operatorname{ExCL}(\mathrm{p}, \mathrm{C})[\mathrm{q}(\mathrm{w})=0]}_{\text {exhaustivity }}
$$

Non-vacuity presupposition: The prejacent has at least one excludable alternative.
Prejacent presupposition: The prejacent is true.
Exhaustivity assertion: All the excludable alternatives are false.
(22) Tuvan
a. Men čünü-daa nomču-dum
I what.ACC-daa read-PST.1SG
'I read ${ }_{\text {pst }}$ everything'
b. Men čünü-daa nomču-va-dïm
I what.ACC-daa read-NEG-PST.1SG
(i) 'I didn't read anything'
(ii) *'I didn't read everything'
a. $\quad \llbracket c ̌ u ̈ n u ̈-d a a \rrbracket=\lambda P_{\langle e, t\rangle} . \exists x[x \in D \wedge P(x)]$
b. Where our Domain of things $=\{a, b\}$, and $\mathrm{R}=$ READ, $\llbracket(22 a) \rrbracket=\exists x[x \in\{a, b\} \wedge R(I, x)]$
$\bullet$ For simplicity, we can use propositional logic, where ' $p$ ' $=\exists x[x \in\{a\} \wedge R(I, x)]$, ' $q$ ' $=\exists x[x \in\{b\} \wedge R(I, x)]$
(25)


- For the time being, I will not consider the scalar alternatives, though it will become relevant in $\S 4$.

NPI effect without pre-exhaustified subdomain alternatives (Sakha): in Sakha, a Northern Siberian Turkic language the particle $d a$ (cognate to Tuvan - $d a a$ ) forms pure NPIs, as we see in (26). This can be captured by assuming that it is exhaustified non-recursively, yielding a contradiction (and hence ungrammaticality) in a positive sentence (26c) and entailment in a negative sentence (26d). See also Kirby (2020, 2021).
a. *Min tugu da aax-tïm

I what.ACC da read-PST.1SG
*'I read ${ }_{\text {pst }}$ everything'
b. Min tugu da aax-pa-tïm

I what.ACC da read-neg-PSt.1sG 'I didn't read anything'
c. - Positive
$\mathrm{O}_{\mathrm{DA}}(\mathrm{p} \vee \mathrm{q})=(\mathrm{p} \vee \mathrm{q}) \wedge \underbrace{\neg \mathrm{p} \wedge \neg \mathrm{q}}_{\neg(\mathrm{p} \vee \mathrm{q})})$
d. - Negative
$\mathrm{O}_{\mathrm{DA}}(\neg(\mathrm{p} \vee \mathrm{q}))=\neg(\mathrm{p} \vee \mathrm{q}) \wedge \underbrace{\neg \mathrm{p} \wedge \neg \mathrm{q}}_{\text {entailed }}$

- On this theory, existentials can be strengthened to universals through recursive exhaustification of the subdomain alternatives (Fox 2007, Chierchia et al. 2012). Chierchia (2013) proposes that free-choice indefinites have 'preexhaustified' subdomain alternatives ((27a) fron Chierchia (2013), (27b) from Xiang (2020)).

Exhaustification of pre-exhaustified subdomain alternatives
a. $\quad \llbracket \mathrm{O}_{\text {Exh }} \mathrm{DA}(\mathrm{p}) \rrbracket=\mathrm{p} \wedge \forall \mathrm{q} \in \mathrm{DA}(\mathrm{p})[\neg \mathrm{O}(\mathrm{q})]$
b. (i) $\operatorname{Sub}($ domain) alternatives:
$\operatorname{SUB}(\mathrm{p}, \mathrm{C})=(\mathrm{C}-\operatorname{ExCL}(\mathrm{p}, \mathrm{C}))-\{\mathrm{p}\}$
(ii) $\llbracket \mathrm{O}_{\text {Exh-DA }} \rrbracket \rrbracket=\lambda \mathrm{p} \lambda \mathrm{w}: \underbrace{\exists \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \mathrm{C})}_{\text {non-vacuity }} \cdot \underbrace{\mathrm{p}(\mathrm{w})=1}_{\text {prejacent }} \wedge \underbrace{\forall \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \mathrm{C})\left[\mathrm{O}_{\mathrm{C}}(\mathrm{q})(\mathrm{w})=0\right]}_{\text {anti-exhaustivity }}$

Non-vacuity presupposition: The prejacent has at least one subdomain alternative.
Prejacent assertion: The prejacent is true.
Anti-exhaustification assertion: The exhaustification of each sub-alternative is false.
Men čünü-daa nomčudum
a. $\quad \operatorname{ALT}(\mathrm{p} \vee \mathrm{q})=\{\mathrm{p} \vee \mathrm{q}, \mathrm{p}, \mathrm{q}, \mathrm{p} \wedge \mathrm{q}\}$

I what.ACC-daa read.PST.1SG
'I read everything'
b. $\quad \mathrm{DA}(\mathrm{p} \vee \mathrm{q})=\{\mathrm{p} \vee \mathrm{q}, \mathrm{p}, \mathrm{q}\}$
(i) $\mathrm{DA}(\mathrm{p})=\{\mathrm{p}, \mathrm{q}\}$
(ii) $D A(q)=\{q, p\}$
c. $\quad \operatorname{Exh}-D A(p \vee q)=\{\underbrace{O(p)}_{p \wedge \neg q}, \underbrace{O(q)}_{q \wedge \neg p}\}$

- Exhaustifying w.r.t. the the set of pre-exhaustified subdomain alternatives (29c) leads to ( $\mathrm{p} \vee \mathrm{q}$ ) being strengthened to $(p \wedge q)(30 a)-(30 e)$ :
a. $\quad \mathrm{O}_{\mathrm{Exh}-\mathrm{DA}}(\mathrm{p} \vee \mathrm{q})=\underbrace{(\mathrm{p} \vee \mathrm{q})} \wedge \quad \underbrace{\neg \mathrm{O}(\mathrm{p}) \wedge \neg \mathrm{O}(\mathrm{q})}$

Prejacent negated pre-exhaustified subdomain alternatives
b. $\quad=(\mathrm{p} \vee \mathrm{q}) \wedge \neg(\mathrm{p} \wedge \neg \mathrm{q}) \wedge \neg(\mathrm{q} \wedge \neg \mathrm{p})$
c. $\quad=(p \vee q) \wedge(p \rightarrow q) \wedge(q \rightarrow p)$
d. $=(p \vee q) \wedge(p \leftrightarrow q)$
e. $=(p \wedge q)$

- (31) shows the NPI effect.

Men čünü-daa nomčuvadïm
I what.ACC-daa read.NEG.PST.1SG
'I didn't read anything'
a.

b. $\quad \mathrm{O}_{\text {Exh-DA }}(\neg(\mathrm{p} \vee \mathrm{q}))=$
(i) $\quad \neg(\mathrm{p} \vee \mathrm{q}) \wedge \neg \mathrm{O}(\neg \mathrm{p}) \wedge \neg \mathrm{O}(\neg \mathrm{q})$
(ii) $\quad=\neg(\mathrm{p} \vee \mathrm{q}) \wedge \neg(\neg \mathrm{p} \wedge \neg \neg \mathrm{q}) \wedge \neg(\neg \mathrm{q} \wedge$ $\neg \neg p)$
(iii) $=\neg(\mathrm{p} \vee \mathrm{q}) \wedge \neg(\neg \mathrm{p} \wedge \mathrm{q}) \wedge \neg(\neg \mathrm{q} \wedge \mathrm{p})$
(iv) $=\neg(p \vee q) \wedge(q \rightarrow p) \wedge(p \rightarrow q)$
(v) $\quad=\neg(p \vee q) \wedge(p \leftrightarrow q)$
(vi) $\equiv \neg(p \vee q)$

- The next puzzle concerns the unavailability of narrow-scope $\forall$ readings for NPIs with clause-mate negation, i.e. why can (31) not mean $\neg \forall x[x \in\{a, b\} \rightarrow R(I, x)]$ ? The most straightforward proposal is the exhaustifiers like $\mathrm{O}_{\text {Exh-DA }}$ always take widest scope in their clause-that is, exhaustification is always at the top of the clause (see appendix for another approach).
- This immediately lends itself to facts in embedded clauses, particularly (32) where an embedded WH-daa is ambiguous between the NPI (32a) and $\forall$ GQ reading ( 32 b ).

Men [seni čünü-daa nomča-an dep] digna-va-dïm
I [you.ACC what.ACC-daa read-PST COMP] hear-NEG-PST.1SG
a. 'I didn't hear that you read anything'
$[\neg>\exists] \equiv[\forall>\neg]$
b. 'I didn't hear that you read everything' [ $\neg>\forall$ ]

- The exhaustifier can be generated at the edge of any clause. When it scopes at the edge of the embedded clause ( $\mathrm{O}_{\text {Exh-DA }}-2$ in CP2 in (33)), the $\exists$-meaning is strengthened to $\forall$ below negation as in (33a). When it scopes over the higher clause ( $\mathrm{O}_{\text {Exh-DA }}-1$ in CP 1 in (33)), it produces an NPI reading (33b).
(33)

a. $\neg \mathrm{H}\left(\mathrm{I}, \mathrm{O}_{\text {Exh-DA }}(\exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \mathrm{R}(\mathrm{YOU}, \mathrm{x}]))\right.$
$=\neg \mathrm{H}(\mathrm{I}, \forall \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \rightarrow \mathrm{R}(\mathrm{YOU}, \mathrm{x})]$
b. $\mathrm{O}_{\text {Exh-DA }}(\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \mathrm{R}(\mathrm{YOU}, \mathrm{x})]))$ $=\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \mathrm{R}(\mathrm{YOU}, \mathrm{x})]$
- Thus, when čaŋgg̈s-daa is in an embedded clause (34), it is interpreted by the exhaustifier located above negation ( $\mathrm{O}_{\text {Exh-DA }}-1$ ).
(34) Men [seni čaygïs-daa nom nomča-an dep] diŋna-va-dïm

I [you.ACC one-daa book read-PST COMP] hear-NEG-PST.1SG
'I didn't hear that you read even one book' / 'I didn't hear that you read any book'

- Because čaŋgïs-daa cannot be interpreted by an exhaustifier above negation, we have an immediate solution to why it fixes the reading of a clause-mate WH-daa to an NPI like (35).
(35) Men [[čaygïs-daa kiži-ni] čünü-daa ašta-an dep] digna-va-dïm

I [[one-daa person-ACC] what.ACC-daa clean-PST COMP] hear-NEG-PST.1SG
a. 'I didn't hear that even one person cleaned anything' $\quad[\neg>$ even one $>$ anything $]$
b. *'I didn't hear that even one person cleaned everything'
$*[\neg>$ even one $>$ everything $]$

- Specifically, as shown in Table 3, all -daa marked elements in a clause are exhaustified by a single operator (a). In order for WH-daa to be strengthened to $\forall$, if a minimizer NPI is in the scope of the exhaustifier, it will be in a position where it is not interpretable (i.e. outside of an NPI context) (c).

Table 3: Four possibilities


$$
\begin{equation*}
\mathrm{O}_{\operatorname{Exh}-\operatorname{DA}}(\neg(\operatorname{HEAR}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{~b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{~d}\} \wedge \operatorname{CLEAN}(\mathrm{x}, \mathrm{y})]]))) \tag{36}
\end{equation*}
$$

a. $\quad \mathrm{DA}(\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]]))=$
(i) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(ii) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(iii) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(iv) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(v) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(vi) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(vii) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(viii) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$,
(ix) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]])$
b. $\quad \mathrm{O}_{\text {Exh-DA }}(\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]]))=$
(i) $\neg \mathrm{H}(\mathrm{I}, \exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \exists \mathrm{y}[\mathrm{y} \in\{\mathrm{c}, \mathrm{d}\} \wedge \mathrm{C}(\mathrm{x}, \mathrm{y})]]))$ $\wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{ii}) \wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{iii}) \wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{iv})$ $\wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{v}) \wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{vi}) \wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{vii}) \wedge \neg \mathrm{O}(36 \mathrm{a}-$ viii $) \wedge \neg \mathrm{O}(36 \mathrm{a}-\mathrm{ix})$
(ii) (etc)

## 3 Mirative focus and čangïs-daa

- čaygïs-daa has two distinct properties from WH-daa: it is inherently emphatic, and it is ungrammatical outside of NPI contexts (admitting no free-choice or $\forall \mathrm{GQ}$ readings).
a. Men düün čaygïs-daa nom nomču-va-dïm I yesterday one-daa book read-NEG-PST.1SG 'I didn't read even one book yesterday'
b. čaygïs-daa kiži meni kör-be-di
one-daa person me.ACC see-NEG-PST
'Not even one person saw me'
c. Sen (ooda) čaygïs-daa nom nomču-du- $\eta$ be?
you (even) one-daa book read-PST-2SG Q
'Did you read even one book?'
d. čaygïs-daa student kel-ze, meni udavas kel-ir de-er=sen one-daa student come-COND I.ACC soon come-nPst say-NPST=2SG
'If even one student comes, tell him/her that I'll be right back'
- Chierchia (2013: 143-168), following Lahiri (1998) on bhii-based minimizers in Hindi, analyzes minimizer NPIs as alternative-activated existentials with the twist that their alternatives are ranked along a rich scale (rather than a reduced scale of subdomain alternatives and the scalar alternative). Another exhaustifier, E(ven) (38), is used to interpret these alternatives (see also Crnič 2011, 2014).
$\mathrm{E}_{\mathrm{ALT}}(\mathrm{p})=\mathrm{p} \wedge \forall \mathrm{q} \in \operatorname{ALT}(\mathrm{p})\left[\mathrm{p}<_{\text {likely }} \mathrm{q}\right] \quad($ Chierchia 2013: 148, modification of Karttunen \& Peters 1979) $\left(\mathrm{E}_{\mathrm{ALT}}(\mathrm{p})\right.$ asserts p and is interpretable only if p is less likely that every distinct q in its alternative set)
- If we adopt a semantics for čaygïs 'one' as in (39a) and a set of alternatives like (39b), we automatically get the NPI effect if -daa marks the (subdomain) alternatives of čaŋgïs as obligatorily active.

```
a. \(\quad \llbracket\) čangïs \(\rrbracket=\llbracket \mathrm{one} \rrbracket=\lambda \mathrm{P}\langle\mathrm{e}, \mathrm{t}\rangle \cdot \lambda \mathrm{Q}_{\langle\mathrm{e}, \mathrm{t}\rangle} \cdot \exists \mathrm{x}[\operatorname{ONE}(\mathrm{x}) \wedge \mathrm{P}(\mathrm{x}) \wedge \mathrm{Q}(\mathrm{x})]\)
b. \(\quad \operatorname{ALT}(\) one \()=\{\lambda \mathrm{P} \cdot \lambda \mathrm{Q} \exists \mathrm{x}[\mathrm{n}(\mathrm{x}) \wedge \mathrm{P}(\mathrm{x}) \wedge \mathrm{Q}(\mathrm{x})]: \mid \mathrm{nl} \geq 1\}\)
    i.e. \{one, two, three, four,.., \}
```

- Note that in (39b), these are scalar alternatives, not subdomain alternatives. This makes sense, as I read one book or I read two books entails I read one book (You can't read two books without reading one book). That is, in affirmative sentences, all positive numerals entail all positive numbers below them.
a. *Men (düün) čaŋgïs-daa nom nomčudum
'*I read even one book yesterday'
(i) $\llbracket(40 a) \rrbracket=\exists x[\operatorname{ONE}(x) \wedge \operatorname{BOOK}(x) \wedge \operatorname{READ}(\mathrm{I}, \mathrm{x})]$
(ii) $\operatorname{ALT}(40 \mathrm{a}-\mathrm{i})=\{$ one book $\Leftarrow$ two book $\Leftarrow$ three books, ..., $\}$, where ' $\mathrm{a} \Leftarrow \mathrm{b}$ ' means 'a is entailed by b '
(iii) $\quad \mathrm{E}_{\mathrm{ALT}}(40 \mathrm{a})=$ one book $\wedge \forall \mathrm{q} \in \mathrm{ALT}[$ one book $<$ likely q$]$
(Unsatisfiable, because one book is entaile by all the alternatives: something cannot be less likely than something that entails it.)
b. Men (düün) čaŋgïs-daa nom nomčuvadïm (=(37a))
'I didn't read read even one book (yesterday)'
(i) $\quad \neg \exists \mathrm{x}[\mathrm{ONE}(\mathrm{x}) \wedge \operatorname{BOOK}(\mathrm{x}) \wedge \operatorname{READ}(\mathrm{I}, \mathrm{x})]$
(ii) $\operatorname{ALT}(40 \mathrm{~b}-\mathrm{i})=\{\neg$ one book $\Rightarrow \neg$ two books $\Rightarrow \neg$ three books, $\ldots$,$\} , where 'a \Rightarrow$ ' means 'a entails b'
(iii) $\quad \mathrm{E}_{\mathrm{ALT}}(40 \mathrm{~b})=\neg$ one book $\wedge \forall \mathrm{q} \in \operatorname{ALT}\left[\neg\right.$ one boo $\left.k<_{\text {likely }} \mathrm{q}\right]$ (Satisfied!)
- -Daa+ranked scale only produces NPIs with rich scales like the numeral 'one'--daa functions also as a mirative focus marker (41), where it is not restricted to negative sentences (41). This is accounted for by the fact that the likelihood of these alternatives are ranked pragmatically ranked. That is, the positive sentence version (41a) is felicitious in a context where the book is considered more difficult for primary school students (41a-i), while the negative version (41b) is felicitious in a context where the book is considered to be something that primary school students are more likely to read than high school students (41b-ii).
(41) a. Ol nom-nu öörenikči-ler-daa nomču-du that book-ACC student-PL-daa read-PST 'Even the [primary school students] ${ }_{\mathrm{F}}$ read that book'
(i) likelihood(primary school students) < likelihood(high school students)
(ii) \#likelihood(high school students) < likelihood(primary school students)
b. Ol nom-nu öörenikči-ler-daa nomču-va-dï that book-ACC studentPL-daa read-NEG-PST
'Even the [primary school students] ${ }_{F}$ didn't read that book'
(i) \#likelihood(primary school students) < likelihood(high school students)
(ii) likelihood(high school students) < likelihood(primary school students)
- What is the connection to pre-exhaustification? Xiang (2020: 200-1), in pursuit of a unified account of Mandarin dōu demonstrates that if the subdomain alternatives are inherently ranked along a probability scale, the switch from $\mathrm{O}_{\text {Exh-DA }}$ to $\mathrm{E}(\mathrm{ven})$ is natural. This she does by defining the subdomain alternatives of a probability-ranked domain as in (42a) and proposing modified O operator for pre-exhaustification called JUST (42b), which affirms the prejacent and states that no true alternative is more likely, and then negate this (resulting in the same meaning as E (ven) (38)).
(42) a. Sub(domain)-alternatives as more likely alternatives:
$\operatorname{SUB}(\mathrm{p}, \operatorname{ALT})=\left\{\mathrm{q} \mid \mathrm{q} \in \operatorname{ALT}(\mathrm{p}) \wedge\left(\mathrm{q}>_{\text {likely }} \mathrm{p}\right)\right\}$
b. $\quad \operatorname{JUST}_{\operatorname{ALT}}(\mathrm{q})=\lambda \mathrm{w}: \mathrm{q}(\mathrm{w})=1 \wedge \forall \mathrm{r} \in \operatorname{ALT}(\mathrm{q})\left[\mathrm{r}(\mathrm{w}) \rightarrow\left(\mathrm{r} \geq_{\text {likely }} \mathrm{q}\right)\right]$
c. When host has likelihood ranked subdomain alternatives...
$\llbracket-\mathrm{daa}_{\mathrm{ALT}} \rrbracket=\llbracket \mathrm{dou}_{\mathrm{ALT}} \rrbracket=$
(i) $\quad \lambda \mathrm{p} \lambda \mathrm{w}: \exists \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \operatorname{ALT}) \cdot \mathrm{p}(\mathrm{w})=1 \wedge \forall \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \operatorname{ALT})\left[\operatorname{JUST}_{\mathrm{ALT}}(\mathrm{q})(\mathrm{w})=0\right]$
(ii) $\quad=\lambda \mathrm{p} \lambda \mathrm{w}: \exists \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \operatorname{ALT}) \cdot \mathrm{p}(\mathrm{w})=1 \wedge \forall \mathrm{q} \in \operatorname{SUB}(\mathrm{p}, \operatorname{ALT}) \exists \mathrm{r} \in \operatorname{ALT}\left[(\mathrm{r}(\mathrm{w})=1) \wedge\left(\mathrm{q}>_{\text {likely }} \mathrm{r}\right)\right]$
(iii) $=\lambda \mathrm{p} \lambda \mathrm{w}: \exists \mathrm{q} \in \operatorname{ALT}(\mathrm{p})\left[\mathrm{q}>_{\text {likely }} \mathrm{p}\right] \wedge \forall \mathrm{q} \in \operatorname{ALT}\left[\left(\mathrm{q}>_{\text {likely }} \mathrm{p}\right)\right] \rightarrow\left(\exists \mathrm{r} \in \operatorname{ALT}\left[(\mathrm{r}(\mathrm{w})=1) \wedge\left(\mathrm{q}>_{\text {likely }}\right.\right.\right.$
r)])
(iv) $=\lambda \mathrm{p} \lambda \mathrm{w}: \exists \mathrm{q} \in \operatorname{ALT}\left[\mathrm{q} \gg_{\text {likely }} \mathrm{p}\right] . \mathrm{p}(\mathrm{w})=1$
(For any proposition $p$, $\llbracket-d a a_{\mathrm{ALT}} / d o u_{\mathrm{ALT}} \rrbracket(\mathrm{p})$ is defined iff $p$ is less likely than at least one of the contextually relevant alternatives; when defined $\left.\llbracket d o u_{\mathrm{ALT}} \rrbracket(\mathrm{p})=\llbracket-d a a_{\mathrm{ALT}} \rrbracket(\mathrm{p})=\mathrm{p}\right)$
(v) $\llbracket=\mathrm{E}_{\mathrm{ALT}} \rrbracket$
(following Xiang 2020: 200-1)
- Essentially, when the subdomain alternatives are ranked among each other by a likelihood relation, pre-exhaustification
is able to more-or-less seamlessly link O (nly) to E (ven). Thus, the connection to mirativity in Tuvan is dictated by the nature of the subdomain alternatives the host has, and -daa can be seen as further support of this link. ${ }^{7}$


## 4 Free choice -daa

- §2.3 remained agnostic about whether WH-daa in its $\forall \mathrm{GQ}$ function possesses a scalar alternatives. So far, the analysis has relied exclusively on pre-exhaustification of subdomain alternatives. But if the scalar alternative is exhaustifed in a postitive, non-modal sentence, a contradiction emerges (43).
(43) For a proposition $(\mathrm{p} \vee \mathrm{q})$, where $\operatorname{ALT}(\mathrm{p} \vee \mathrm{q})=\{\mathrm{p} \vee \mathrm{q}, \mathrm{O}(\mathrm{p}), \mathrm{O}(\mathrm{q}), \mathrm{p} \wedge \mathrm{q}\}, \mathrm{O}_{\mathrm{ALT}}(\mathrm{p} \vee \mathrm{q})$ is a contradiction.
a. $\quad \mathrm{O}_{\mathrm{ALT}}(\mathrm{p} \vee \mathrm{q})=(\mathrm{p} \vee \mathrm{q}) \wedge$
$\underbrace{\neg \mathrm{O}(\mathrm{p}) \wedge \neg \mathrm{O}(\mathrm{q})}$
$\wedge \quad \underbrace{\neg(\mathrm{p} \wedge q)}$
negated pre-exhaustified domain ALTs negated scalar alternative
b. $=\underbrace{(\mathrm{p} \vee \mathrm{q}) \wedge(\mathrm{p} \leftrightarrow \mathrm{q}) \wedge \neg(\mathrm{p} \wedge \mathrm{q})}_{\perp \text {, contradiction }}$
- Perhaps Tuvan-WH words belong to the crosslinguistic class of existentials which entirely lack scalar alternatives? ${ }^{8}$ The alternatives-and-exhaustification theory makes predictions about the possible readings of such an element with a modal, which we shall soon see.
- Following Dayal $(1998,2004)$, universal free choice is derived as follows: for a sentence like (44), the basic, nonmodalized meaning is as an existential like (44a). The existential scopes above the possibility modal (44a). Because any has active alternatives, and further, pre-exhaustified subdomain alternatives, its alternatives look like (44c). When these alternatives are exhaustified (44d), we eventually get something that looks like (44e).
(44) Anybody can study Tuvan.
a. Non-modalized: $\exists x\left[x \in\{a, b\} \wedge \operatorname{STUDY} \_T U V A N(x)\right]$
b. $\quad \exists x[x \in\{a, b\} \wedge \diamond S(x)]$
c. $\left\{\begin{array}{c}\exists x[x \in\{a, b\} \wedge \diamond S(x)] \\ O(\exists x[x \in\{a\} \wedge \diamond S(x)]) \quad O(\exists x[x \in\{b\} \wedge \diamond S(x)]) \\ \forall x[x \in\{a, b\} \rightarrow \diamond S(x)]\end{array}\right\}$
d. $\quad \operatorname{exh}(44 \mathrm{c})=$
(i) $\exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}, \mathrm{b}\} \wedge \diamond \mathrm{S}(\mathrm{x})]$
(ii) $\wedge \neg \mathrm{O}(\exists \mathrm{x}[\mathrm{x} \in\{\mathrm{a}\} \wedge \diamond \mathrm{S}(\mathrm{x})])$
$=\neg(\exists x[x \in\{a\} \wedge \Delta S(x)] \wedge \neg \exists x[x \in\{b\} \wedge \diamond S(x)])$
$=\exists x[x \in\{a\} \wedge \diamond S(x)] \rightarrow \exists x[x \in\{b\} \wedge \diamond S(x)]$
(iii) $\wedge \neg \mathrm{O}(\exists \mathrm{x}[\mathrm{x} \in\{\mathrm{b}\} \wedge \diamond \mathrm{S}(\mathrm{x})])$
$=\exists x[x \in\{b\} \wedge \diamond S(x)] \rightarrow \exists x[x \in\{a\} \wedge \diamond S(x)]$
(iv) $\wedge \neg \forall x[x \in\{a, b\} \rightarrow \diamond S(x)]$
e. $\quad \diamond(p \vee q) \wedge(\diamond p \leftrightarrow \diamond q) \wedge \neg \diamond(p \wedge q)$
- (44e) is true in any world $w$ such that it is possible for either of ( $a$ or $b$ ) to study Tuvan, $a$ can study Tuvan iff $b$ can study Tuvan, but it's not possible for both $a$ and $b$ to both Study Tuvan. This is satisfiable because the modal base of the negated scalar and the domain alternatives can be distinct. ${ }^{9}$
- If English any entirely lacked the scalar alternative, the reading would be stronger. Not only would any be grammatical in affirmative episodic sentence, with a modal its truth conditions would be equivalent to $[\diamond>\forall]$ :

$$
\begin{equation*}
\operatorname{exh}(\exists x[x \in\{a, b\} \wedge \diamond S(x)])=\exists x[x \in\{a, b\} \wedge \diamond S(x)] \wedge(\exists x[x \in\{a\} \wedge \diamond S(x)] \leftrightarrow \exists x[x \in\{b\} \wedge \diamond S(x)]) \tag{45}
\end{equation*}
$$

[^4]equivalent to $\forall x[x \in\{a, b\} \rightarrow \diamond S(x)]$

- Surprisingly, Tuvan WH-daa in the scope of a possibility modal displays mixed behavior. Specifically, it is actually ambiguous between the two readings: a free-choice any reading (46a), and a $\forall \mathrm{GQ}$ reading (46b):
(46) Ežik-ti kïm-daa sokta-p bol-ur door-ACC who-daa knock-CVB can-NPST
a. 'Anyone can knock at the door'

$$
(\text { Of }\{a, b, c\}, \diamond K(a) \wedge \diamond K(a) \wedge \diamond K(c) \wedge \underbrace{\neg \diamond(\mathrm{K}(\mathrm{a}) \wedge \mathrm{K}(\mathrm{~b}) \wedge \mathrm{K}(\mathrm{c}))}_{\text {not possible all }})
$$

$\begin{array}{ll}\text { b. } & \text { Everyone can knock at the door' } \\ & (\diamond K(a) \wedge \diamond K(b) \wedge \diamond K(c) \wedge \diamond(K(a) \wedge K(b) \wedge K(c)))\end{array}$

- At the same time, if WH-daa is reinforced with bolza (47), only the free-choice reading survives (47a).
(47) Ežik-ti kïm-daa bolza sokta-p \{bol-ur / *tur\} door-ACC who-daa IT.BE knock-CVB \{can-nPst / stand.lt.vb \}
a. 'Anyone can knock at the door'
FCI
b. *'Everyone can knock at the door'
$* \forall \mathrm{GQ}$
- Given that the scalar implicature is optionally present (and obligatory if bolza is present), it makes sense to assume that WH-daa does, in fact, inherently have a scalar implicature, but that in some contexts, the scalar alternative is not exhaustified.
- Specifically, -daa only makes the Subdomain alternatives of the WH-word obligatory, while the scalar alternative is not always exhaustified, as shown in (48).


## - Final proposal for WH-daa $\forall$ GQs

(48)

b. $\quad \mathrm{O}_{\text {Exh-DA }}(\exists \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\nabla \mathrm{p}(\mathrm{x})])=$
(i) $\exists \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\nabla \mathrm{p}(\mathrm{x})]$
(ii) $\wedge \neg \mathrm{O}(\exists \mathrm{x} \in\{\mathrm{a}\}[\diamond \mathrm{p}(\mathrm{x})])$ $=(\exists \mathrm{x} \in\{\mathrm{a}\}[\diamond \mathrm{p}(\mathrm{x})]) \rightarrow$ $(\exists \mathrm{x} \in\{\mathrm{b}\}[\vee \mathrm{p}(\mathrm{x})])$
(iii) $\wedge \neg \mathrm{O}(\exists \mathrm{x} \in\{\mathrm{b}\}[\diamond \mathrm{p}(\mathrm{x})])$
$=(\exists x \in\{b\}[\diamond p(x)])$
$\rightarrow(\exists x \in\{a\}[\diamond p(x)])$
(iv) $\wedge \exists \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\diamond \mathrm{p}(\mathrm{x})]$
(v) $\diamond(\mathrm{p} \vee \mathrm{q}) \wedge(\diamond \mathrm{p} \leftrightarrow \diamond \mathrm{q}) \wedge \diamond(\mathrm{p} \wedge \mathrm{q})$

## - Final proposal for WH-daa FCIs

(49)

b. $\quad \mathrm{O}_{\sigma \mathrm{A}}\left(\mathrm{O}_{\mathrm{Exh}-\mathrm{DA}}(\exists \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\vee \mathrm{p}(\mathrm{x})])\right)=$
(i) $\exists \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\diamond \mathrm{p}(\mathrm{x})]$
(ii) $\wedge \neg \mathrm{O}(\exists \mathrm{x} \in\{\mathrm{a}\}[\bigcirc \mathrm{p}(\mathrm{x})])$
$=(\exists x \in\{a\}[\wedge p(x)])$
$\rightarrow(\exists \mathrm{x} \in\{\mathrm{b}\}[\triangleright \mathrm{p}(\mathrm{x})])$
(iii) $\wedge \neg \mathrm{O}(\exists \mathrm{x} \in\{\mathrm{b}\}[\diamond \mathrm{p}(\mathrm{x})])$
$=\exists \mathrm{x} \in\{\mathrm{b}\}[\triangleright \mathrm{p}(\mathrm{x})]$
$\rightarrow(\exists \mathrm{x} \in\{\mathrm{a}\}[\triangleright \mathrm{p}(\mathrm{x})])$
(iv) $\wedge \neg \forall \mathrm{x} \in\{\mathrm{a}, \mathrm{b}\}[\triangleright \mathrm{p}(\mathrm{x})]$
(v) $\diamond(\mathrm{p} \vee \mathrm{q}) \wedge(\diamond \mathrm{p} \leftrightarrow \diamond \mathrm{q}) \wedge \neg \diamond(\mathrm{p} \wedge \mathrm{q})$

## 5 Conclusion

- This paper has argued for a unified semantic account of -daa's roles in NPIs, FCIs, $\forall$ GQs, and mirative focus, in line with other approaches to multifunctional particles (Slade 2011, Szabolcsi 2015, 2017, 2018, Uegaki 2018, Xiang 2020, Mitrović 2021).
- -daa requires that its host has subdomain alternatives, and that the non-entailed subdomain alternatives are pre-exhaustified.
- -daa itself is not an exhaustifier (i.e. it does not itself exhaustify), but does induce the grammar to include an exhaustifier.
- -daa does not inherently activate the scalar alternative of its host, but a scalar alternative can figure in two situations:
- If the subdomain alternatives are ranked along a probability scale (e.g. čaygïs-daa minimizers, -daa's mirative focus function)
- With a modal, the scalar alternative may be exhaustified (required if bolza is present).
- The straightforward connection to Japanese -mo breaks down in WH-daa's behavior in embedded clause with matrix negation. WH-daa NPIs cannot reasonably be analyzed as wide-scope $\forall$ GQs.
- The three other main functions of -daa were not discussed, though they can reasonably be accounted for within the current pre-exhaustification approach. These roles are -daa's function as an additive focus marker (50a), a marker of concessive clauses (50b), and a marker of each element in a distributive coordination (50c).
a. Men-daa nom ekkel-(be)-dim

I-daa book bring-(NEG)-PST.1SG
(i) Positive: ' $I_{F}$ brought a book, also'
(ii) Negative: 'I $I_{F}$ didn't bring a book, either'
b. [Bud-um aarï-p tur-za-daa] azïl-ïm-če čoruptur=men [foot-1SG.POSS ill-CVB AUX-COND-daa] work-1SG.POSS-ALL go.EVID.PST=1SG
'Even though my feet hurt, I (still) am going to work' (Anderson \& Harrison 1999: 48)
c. (i) Men kofe-daa šay-daa iš-(pe)-dim

I coffee-daa tea-daa drink-(NEG)-PST.1SG
Positive: 'I drank both coffee and tea'
Negative: 'I drank neither coffee nor tea'
(ii) Buyan-daa Mergen-daa iji metr uzun

Buyan-daa Mergen-daa two meter tall
Distributive: 'Buyan and Mergen are each 2 meters tall'
\#Cumulative: 'Buyan and Mergen's combined height is 2 meters'

## Appendix: Clause-mate negation and WH-daa

- Question: Why is WH-daa (51) not available on a wide-scope $\forall$ GQ over clause-mate neagtion (51b)?

Men čünü-daa nomču-va-dïm
I what.ACC-daa read-NEG-PST.SG
a. 'I didn't read anything'
(52)
NPI
$* \forall \mathrm{GQ}$
[3]



- Whether (52) produces an interpretable (=non-contradictory) LF depends on how negation operates over node [2] in (52). How does the grammar handle the result of exhaustification (53c-iv)?
a. Where $D_{e}=\{a, b, c\},[1]=\exists x\left[x \in D_{\{a, b, c\}} \wedge R(I, x)\right]$
b. $\quad \mathrm{DA}([1])=\left\{\exists \mathrm{x} \in \mathrm{D}^{\prime}: \mathrm{D}^{\prime} \subseteq \mathrm{D}_{\{\mathrm{a}, \mathrm{b}, \mathrm{c}\}}\right\}$
(i) Where $\llbracket p \rrbracket=x[x \in\{a\} \wedge R(I, x)]$,

$$
\begin{aligned}
& \llbracket q \rrbracket=\exists x[x \in\{b\} \wedge R(I, x)], \\
& \llbracket r \rrbracket=\exists x[x \in\{c\} \wedge R(I, x)]
\end{aligned}
$$

(i)

| $\mathrm{DA}(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r})=$ |  |  |
| :---: | :---: | :---: |
| $(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r})$ |  |  |
| $(\mathrm{p} \vee \mathrm{q})$ | $(\mathrm{q} \vee \mathrm{r})$ | $(\mathrm{p} \vee \mathrm{r})$ |
| p | q | r |

(iii) Exh-DA $(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r})=$
c. $\quad[2]=\mathrm{O}_{\text {Exh-DA }}(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r})$
(i) $\quad=\{\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}, \neg \mathrm{O}(\mathrm{p} \vee \mathrm{q}), \neg \mathrm{O}(\mathrm{q} \vee \mathrm{r}), \neg \mathrm{O}(\mathrm{p} \vee \mathrm{r}), \neg \mathrm{O}(\mathrm{p}), \neg \mathrm{O}(\mathrm{q}), \neg \mathrm{O}(\mathrm{r})\}$
(ii) $\quad=\{\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}, \neg((\mathrm{p} \vee \mathrm{q}) \wedge \neg \mathrm{r}), \ldots, \neg(\mathrm{r} \wedge \neg(\mathrm{p} \vee \mathrm{q}))\}$
(iii) $=\{p \vee q \vee r,(p \vee q) \rightarrow r, r \rightarrow(p \vee q),(q \vee r) \rightarrow p, p \rightarrow(q \vee r),(p \vee r) \rightarrow q, q \rightarrow(p \vee r)$
(iv) $=\{\underbrace{p \vee q \vee r}, \underbrace{p \leftrightarrow(q \vee r), q \leftrightarrow(p \vee r), r \leftrightarrow(p \vee q)}\}$

Prejacent ${ }_{\text {exhaustified subdomain alternatives }}$

- If ( $53 \mathrm{c}-\mathrm{iv}$ ) is represented as the conjunction of the alternatives, i.e. the free-choice implicature, negation scoping over this would be compatible with the a $[\neg>\forall]$ interpretation.

$$
\begin{array}{ll}
\text { a. } \llbracket \neg(\bigcap(53 \mathrm{c}-\mathrm{iv})) \rrbracket & =\neg((\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}) \wedge(\mathrm{p} \leftrightarrow(\mathrm{q} \vee \mathrm{r})) \wedge(\mathrm{q} \leftrightarrow(\mathrm{p} \vee \mathrm{r})) \wedge(\mathrm{r} \leftrightarrow(\mathrm{p} \vee \mathrm{q}))  \tag{54}\\
\text { b. } & =\neg(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}) \vee \neg(\mathrm{p} \leftrightarrow(\mathrm{q} \vee \mathrm{r})) \vee \neg(\mathrm{q} \leftrightarrow(\mathrm{p} \vee \mathrm{r})) \vee \neg(\mathrm{r} \leftrightarrow(\mathrm{p} \vee \mathrm{q})) \\
\text { c. } & =\neg(\mathrm{p} \wedge \mathrm{q} \wedge \mathrm{r})
\end{array}
$$

- If, on the other hand, ( $53 \mathrm{c}-\mathrm{iv}$ ) is represented as a set of alternatives with negation applying pointwise over this set, the result is a contradiction:
a. $\quad \llbracket \cap(\neg(53 \mathrm{c}-\mathrm{iv}))] \rrbracket=\{\neg(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}), \neg(\mathrm{p} \leftrightarrow(\mathrm{q} \vee \mathrm{r})), \neg(\mathrm{q} \leftrightarrow(\mathrm{p} \vee \mathrm{q})), \neg(\mathrm{r} \leftrightarrow(\mathrm{p} \vee \mathrm{q}))\}$
b. $\quad=\neg(\mathrm{p} \vee \mathrm{q} \vee \mathrm{r}) \wedge \neg(\mathrm{p} \leftrightarrow(\mathrm{q} \vee \mathrm{r})) \wedge \neg(\mathrm{q} \leftrightarrow(\mathrm{p} \vee \mathrm{r})) \wedge \neg(\mathrm{r} \leftrightarrow(\mathrm{p} \vee \mathrm{q}))$


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    ${ }^{1}$ Abbreviations: $\forall \mathrm{FCI}=$ universal free choice item (any/wh-ever type FCIs, following Chierchia 2013), NPI=Negative polarity item, PPI=positive polarity item, WS $\forall=$ wide-scope universal NPI.
    ${ }^{2}$ Part of the current research project was presented by the author at LSA 2022 (Kirby 2022), as well as a comparison of Tuvan with the cognates Turkish $D A$ and Sakha da(Yanï) at Tu+7 (Kirby forthcoming)

[^1]:    ${ }^{3}$ Transcription conventions: $\langle\ddot{i}\rangle=[\mathrm{i} \sim \mathrm{u}],\langle\ddot{\mathrm{o}}>=[œ],\langle\mathrm{u}\rangle=[\mathrm{y}],\langle\check{\mathrm{s}}\rangle=[\mathrm{f}],\langle\mathrm{z}\rangle=[3],\langle\check{c}\rangle=[\mathrm{t}],\langle\mathrm{y}\rangle=[\mathrm{j}]$. Long vowels are transcribed through doubling (e.g. <aa> = [a:]), consistent with native orthography. Note that particles like -daa are written with a dash in Tuvan orthography (e.g. <кым-даа> küm-daa 'anybody; everybody'), a practice I follow in transcriptions. I depart from native orthography in the transcription of the pronominal-based agreement morphemes-Tuvan orthography writes these as an orthographic word, while I transcribe them as clitics, e.g. $<$ көрген мен> kör-gen=men (see-PST=1SG), 'I saw'.

[^2]:    ${ }^{4} \forall \mathrm{x}[\neg \mathrm{P}(\mathrm{x})]$ and $\neg \exists \mathrm{x}[\mathrm{P}(\mathrm{x})]$ are equivalent.
    ${ }^{5}$ Other examples include Korean -to NPIs (Sells \& Kim 2006, Kim \& Sells 2007), Hungarian negative-concord items (Szabolcsi 1981), and Greek negative-concord items (Giannakidou 2000).

[^3]:    ${ }^{6}$ This would essentially be an NPI with a love-hate relationship with negation: it would simultaneously requires negation, but be required to scope above it. While this is indeed proposed in the literature for pure NPIs in some languages (e.g. Korean WH-to by Sells \& Kim 2006, Kim \& Sells 2007), it is difficult to explain the ungrammaticality of these elements in positive episodic contexts (and importantly, their lack of universal meanings

[^4]:    ${ }^{7}$ For another unified approach O(nly)/E(ven), see Mitrović (2021: 146ff).
    ${ }^{8}$ See Bowler (2014), Singh et al. (2016), Bar-Lev \& Margulis (2014), Davidson (2013), Wong (2017), Bassi \& Bar-Lev (2016), Szabolcsi (2017), Mitrović (2021)
    ${ }^{9}$ Admittedly, this feels quite odd with only two alternatives, though it improves when you have two, where the reading is $a, b$ or $c$ can do X, $a$ and $b$ but not $c$ can, (and any permutation), but not all of them. This oddness is caused by artificially restricting the example to two alternatives, which was done for space concerns.

